

# ME Control Lab

Research activities, related to

## Control of autonomous vehicles on a smart road

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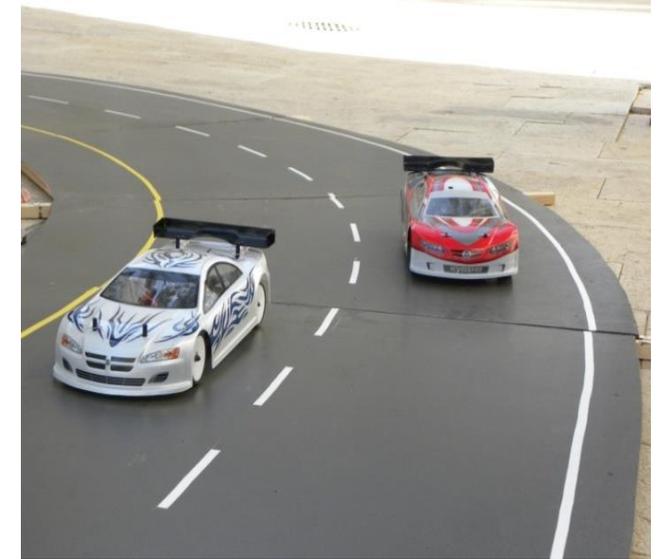
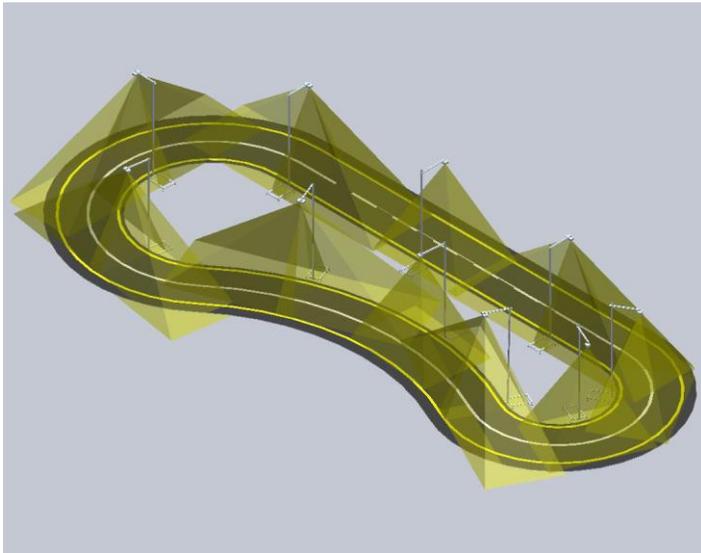
Ben-Gurion University of the Negev

# Intelligent Transportation Systems - Motivation

- Intelligent Transportation Systems (ITS) include a wide range of technologies that are aimed **at improving transportation systems**.
- Main goals include improvement in, **traffic efficiency, energy consumption, safety** (by removing the human factor) and **comfort** (by releasing drivers from tedious tasks such as a long drive).
- Intelligent transportation systems **motivates** development of **efficient control algorithms for a group of unmanned autonomous vehicles**.
- **New concepts of smart roads** should be developed, which allows **autonomous vehicles and manually driven vehicles** on the same road (interaction, coordination, etc.)

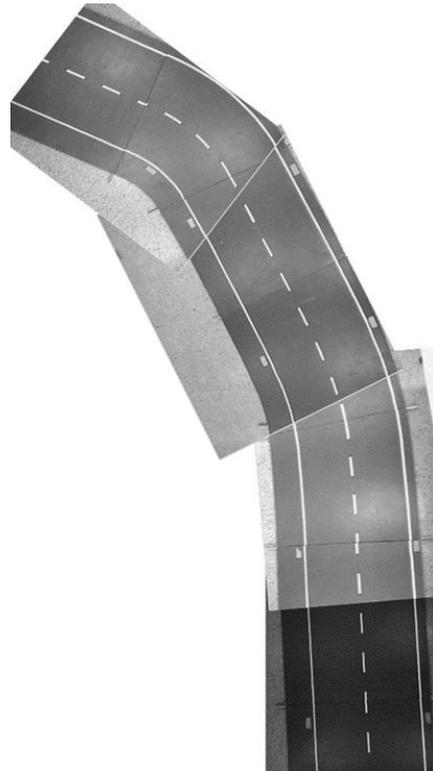
## Smart road – Test bed

We are developing a concept of a smart road to allow autonomous driving of “almost” standard vehicles on a highway. **The traffic may include also manually driven vehicles.** The system is mainly based on a distributed network of sensors and controllers, which are a part of the road infrastructure.

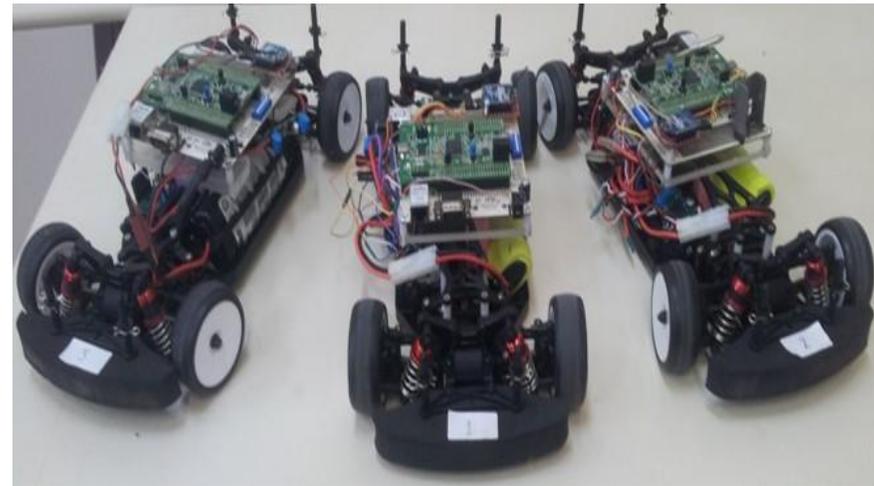


# Smart road - Experiments

A road section, used as a Lab test-bed. This section is covered with four cameras.



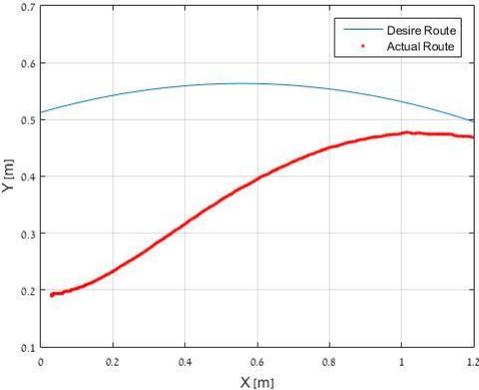
A safe environment for testing ITS algorithms



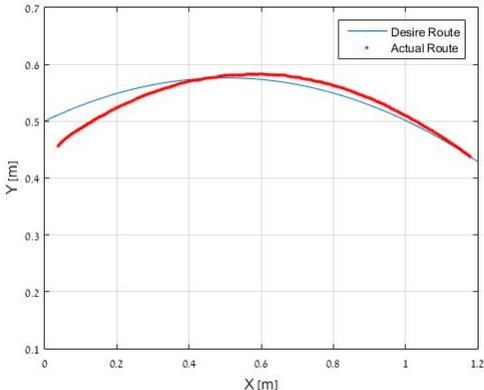
# Smart road - Experiments

## Experimental Results

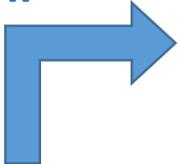
Trajectory (camera 1)



Trajectory (camera 2)



Raspberry Pi + Pi noir camera (for vision and control)



Driving commands are sent wirelessly

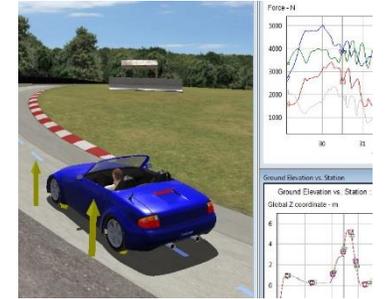
# Smart road – CarSim Simulation

CarSim includes accurate, detailed, and efficient methods for simulating the performance of passenger vehicles.

CarSim has a standard interface to MATLAB/Simulink

Twenty years of real-world validation.

**carSIM**  
MECHANICAL SIMULATION.



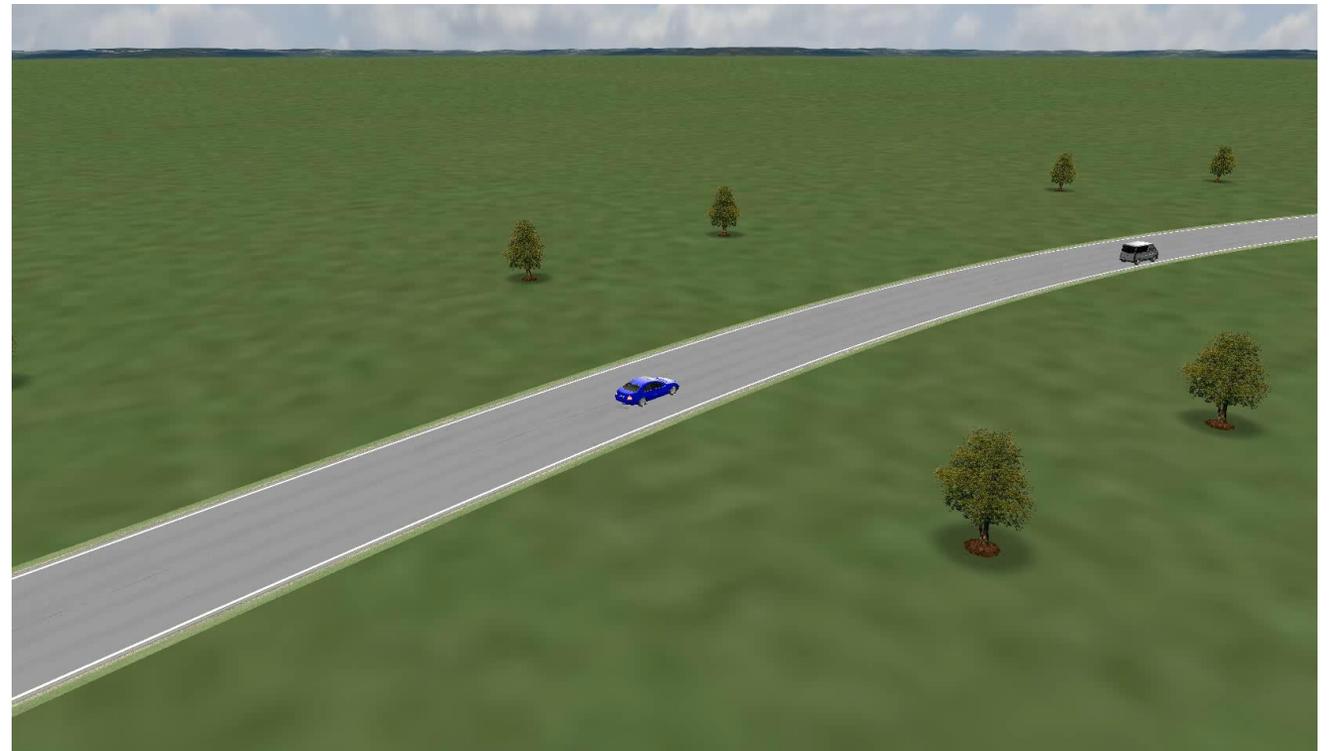
## CarSim Simulation

Stage 1 – Path following

Cruising speed

Stage 2 – Path following

Keeping front Safe distance  
(from vehicle ahead)



# Autonomous vehicles – Development Trend

## Three Generations

Control of a single vehicle

*2000-2010*

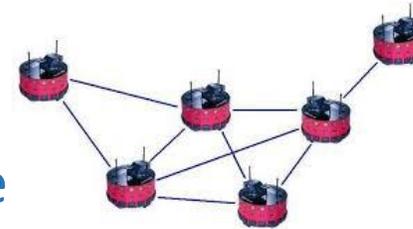
Path following  
Collision avoidance



Control of a group of vehicle

*2005-2015*

Coordinated Path following  
Formation, collision avoidance



Intelligent (and safe) control of a group of vehicle

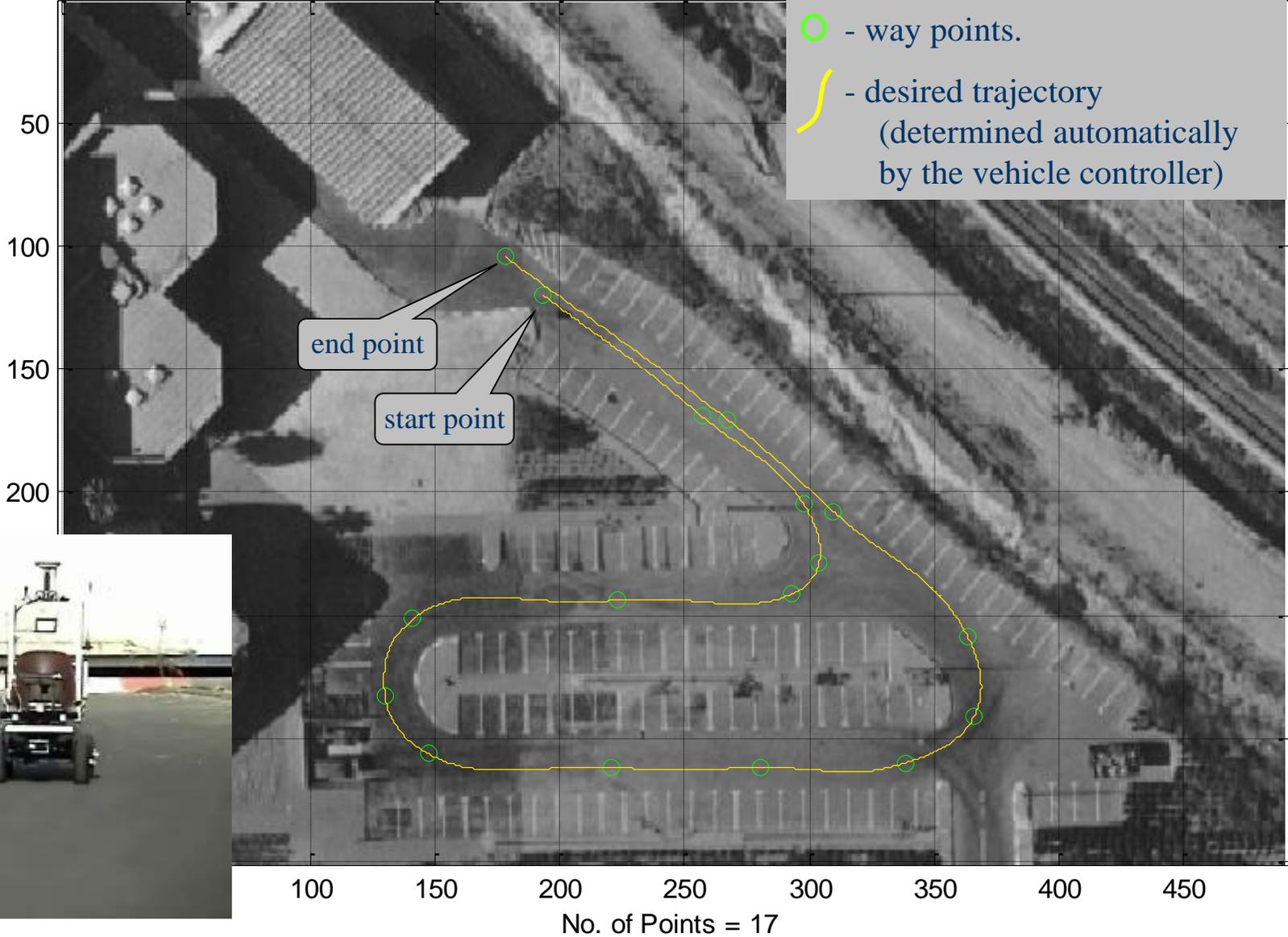
*2015-. . . .*

E.g., Use control tools to detect cyber attacks  
Intelligent decision making

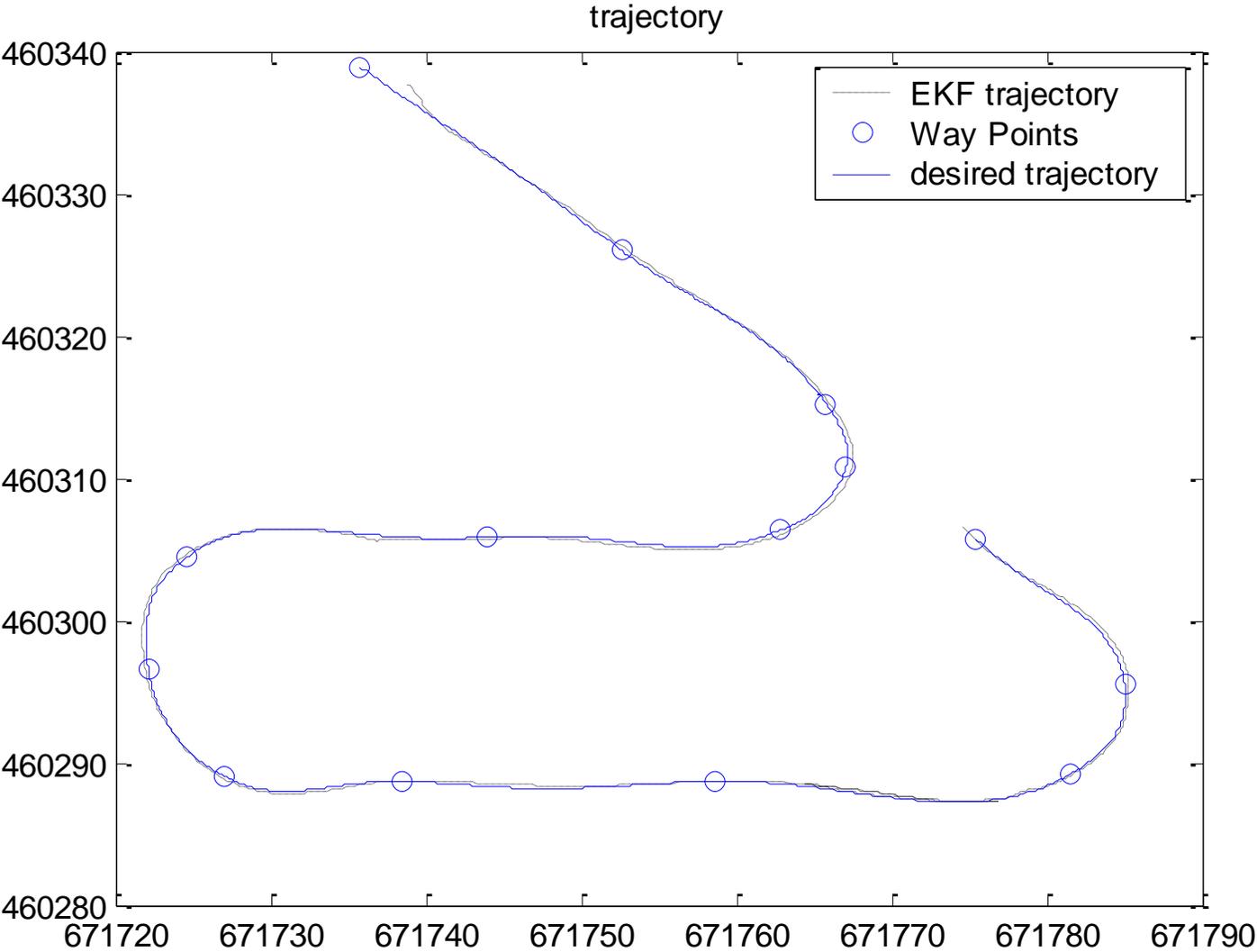
# A test bed – to try path following algorithms (year = 2004)



# Experiment results:

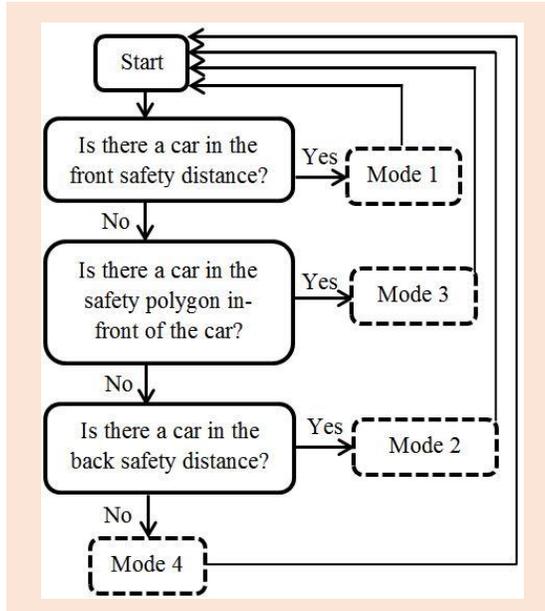


# Experiment results:

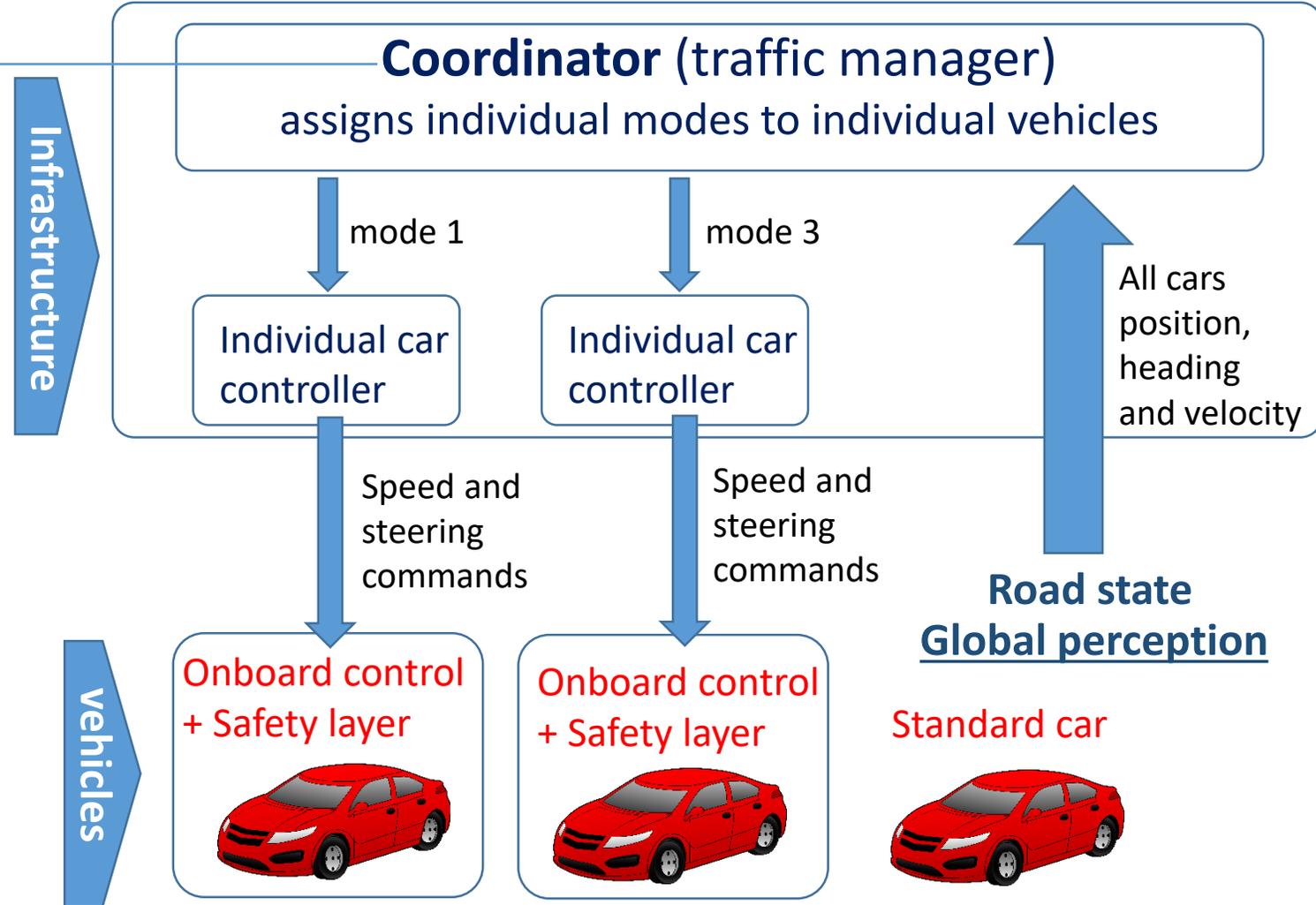


# Smart road – Architecture

## A multi-layer control system architecture



For example



**This is a centralized solution and hence it is sensitive to cyber attacks**

**The local safety layer (not network connected) uses local perception (based on car sensors) to check the validity of the received commands.**

**It overwrites driving commands if these are not consistent with local information.**

# Smart road – Sensor and control redundancy for “fault” detection and accommodation

Each autonomous vehicle is equipped with two local autonomous-driving controllers,

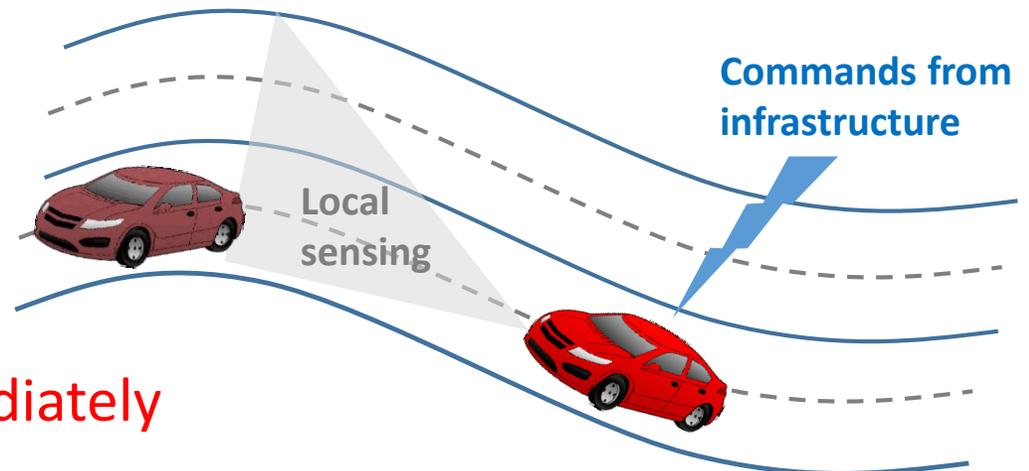
1. For path (road) following (→ steering command).
2. To keep safe distance from front vehicle (→ speed command)

These local controllers are for emergency situations only (they don't use traffic perspective).

All Individual car controllers (car-infrastructure loop) are designed with a prescribed convergence rate (that serves as a performance index, represented by a scalar number).

This performance index is checked locally (with car onboard sensors, e.g., by Mobileye)

If a valid performance index is not measured, local autonomous driving controllers, are activated immediately



## Coordinated path following - Problem formulation

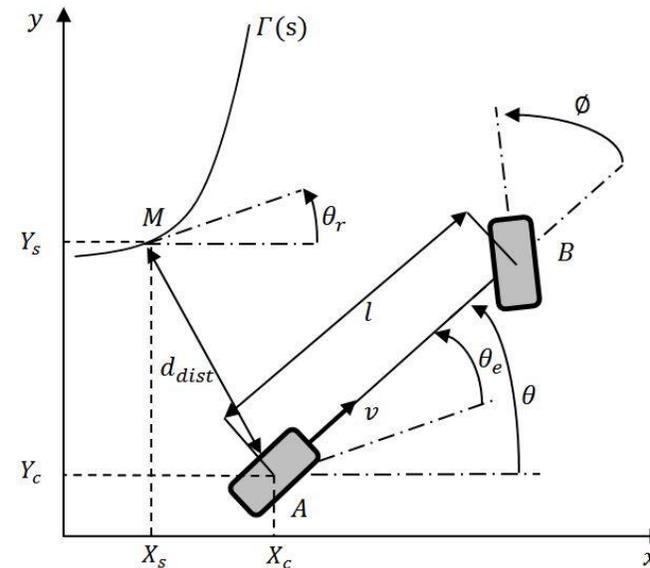
Let  $\Gamma(s)$  be a smooth curve (parameterized by  $s$ ), and a point  $M$  denotes the closest point between the curve and the vehicle.

The following model describes the relative state between the vehicle and the path.

$$\begin{bmatrix} \dot{s} \\ \dot{d}_{dist} \\ \dot{\theta}_e \end{bmatrix} = \begin{bmatrix} v \frac{\cos(\theta_r - \theta)}{1 + d_{dist}c(s)} \\ v \sin(\theta_r - \theta) \\ \frac{v \tan(\phi)}{l} - \frac{c(s) \cos(\theta_r - \theta)}{1 + d_{dist}c(s)} \end{bmatrix}$$

where  $c(s)$  represents the curvature of  $\Gamma(s)$

$\theta_e = \theta - \theta_r$  is the relative angle, and  $d_{dist}$  is the distance of the vehicle from the path.



# Coordinated path following - Problem formulation

The goal is to solve two complementary problems:

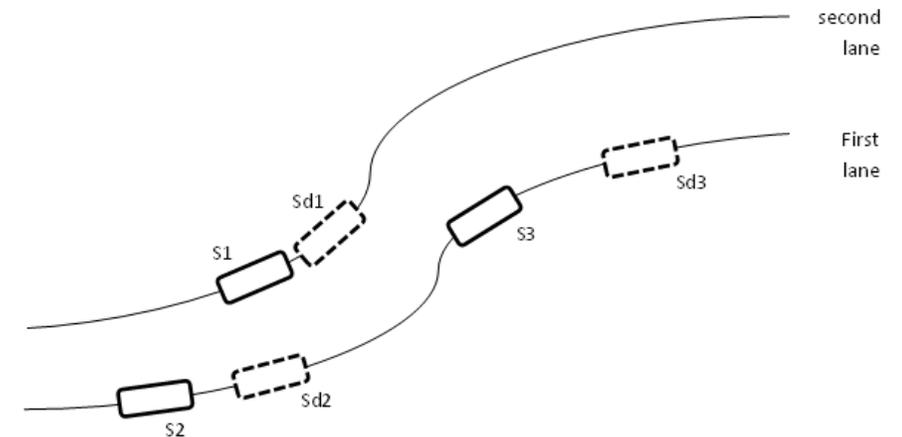
- An inner layer solves the path following control problem of each individual vehicle. This controller ensures that each vehicle converges to the desired path.
- An outer layer solves the coordination control problem for the all group, by setting the velocity of virtual vehicles (denoted by  $\dot{s}_d$ ) which serve as reference vehicles for the real vehicles.

In short, two control signals  $v$  and  $\tau$  are to be designed for each vehicle such that,

$$\lim_{t \rightarrow \infty} \|d_{dist}\| = 0$$

$$\lim_{t \rightarrow \infty} \|\theta_e\| = 0$$

$$\lim_{t \rightarrow \infty} \|s - s_d\| = 0$$



## Path following of individual vehicles

The inner layer controller is derived by **the chained form** approach

The tracking errors between the vehicle and the path (at  $M$ ) are defined as,

$$\text{distance error } e_1 = d_{dist}$$

$$\text{heading error } e_2 = \sin(\theta_e)$$

$$\text{Steering angle error } e_3 = \frac{c(s) \cos^2(\theta_e)}{1 + d_{dist}c(s)} - \frac{\tan(\phi) \cos(\theta_e)}{l}$$

And the steering rate command is,

$$\begin{aligned} \tau = & \left[ \frac{c'(s) \cos^3(\theta_e)}{(1 + d_{dist}c(s))^2} v - 3 \frac{c^2(s) \cos^2(\theta_e) \sin(\theta_e)}{(1 + d_{dist}c(s))^2} v - \frac{\sin(\theta_e) \tan^2(\phi)}{l^2} \right. \\ & \left. + 3v \frac{c(s) \cos(\theta_e) \sin(\theta_e) \tan(\phi)}{l(1 + d_{dist}c(s))} - v \frac{d_{dist}c(s)c'(s) \cos^3(\theta_e)}{(1 + d_{dist}c(s))^3} - u \right] \frac{l \cos^2(\phi)}{\cos(\theta_e)} \end{aligned}$$

## Path following of individual vehicles

These **complex** definitions (of tracking errors and control) transforms the system to the **simple** chained form model

$$\dot{e}_1 = e_2 v$$

$$\dot{e}_2 = e_3 v$$

$$\dot{e}_3 = u$$

Now,  $u(t)$  can be chosen as  $u = -Kev = -(k_1 e_1 + k_2 e_2 + k_3 e_3) v$

Define a weighed square-error function as  $V = p_1 e_1^2 + p_2 e_2^2 + p_3 e_3^2$ ,  $p_i > 0$

One can choose  $K$  such that  $\dot{V} \leq -\alpha V v$



This is the performance index of the controller.  
It is checked locally with car onboard sensors.

# Coordinated path following control

On the outer layer, the coordinated problem is managed by defining a virtual vehicle to each controlled vehicle.

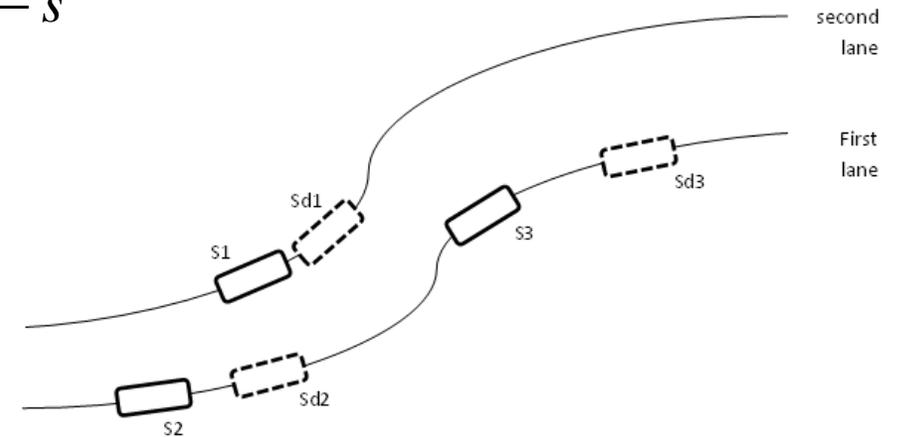
A control law is needed (for each real vehicle) to allow convergence to a virtual vehicle.

The error between a real and virtual vehicle is  $s_e = s_d - s$

Taking the linear velocity of the controlled vehicle as,

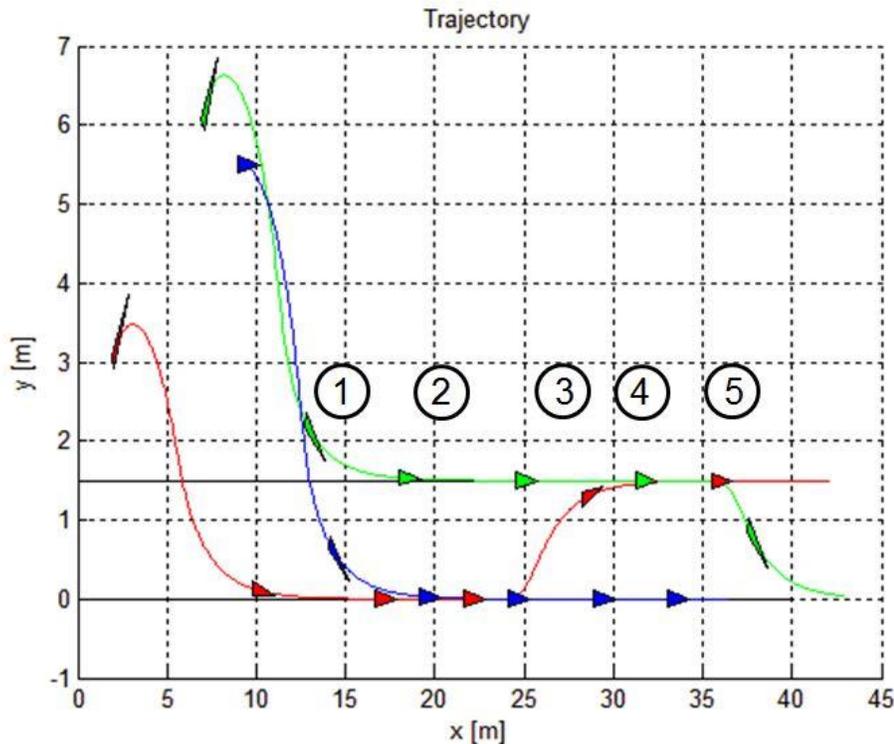
$$v = \frac{1 + d_{dist} c(s)}{\cos(\theta_e)} (\dot{s}_d + \lambda(s_d - s))$$

assures,  $\dot{s}_e = -\lambda s_e$ .



# Simulation results

The simulation illustrates a convergence of three vehicles to a two lane road segment, while driving in different speeds, bypassing each other and avoiding collisions



In the presented case:  $N = 3$

fast  $\blacktriangleright$   $[x_1(t_0) \ y_1(t_0) \ \theta_1(t_0) \ \phi_1(t_0)] = [2 \ 3 \ \pi/4 \ 0]^T$

mid  $\blacktriangleright$   $[x_2(t_0) \ y_2(t_0) \ \theta_2(t_0) \ \phi_2(t_0)] = [7 \ 6 \ \pi/4 \ \pi/4]^T$

slow  $\blacktriangleright$   $[x_3(t_0) \ y_3(t_0) \ \theta_3(t_0) \ \phi_3(t_0)] = [9 \ 5.5 \ 0 \ 0]^T$

$[s_0(t_0) \ s_{d0}(t_0)]^T = [0 \ 0]^T$  for all virtual vehicles

Desired speeds are  $[v_{d1} \ v_{d2} \ v_{d3}]^T = [6 \ 5 \ 4]^T$

Vehicle length  $l = 1$

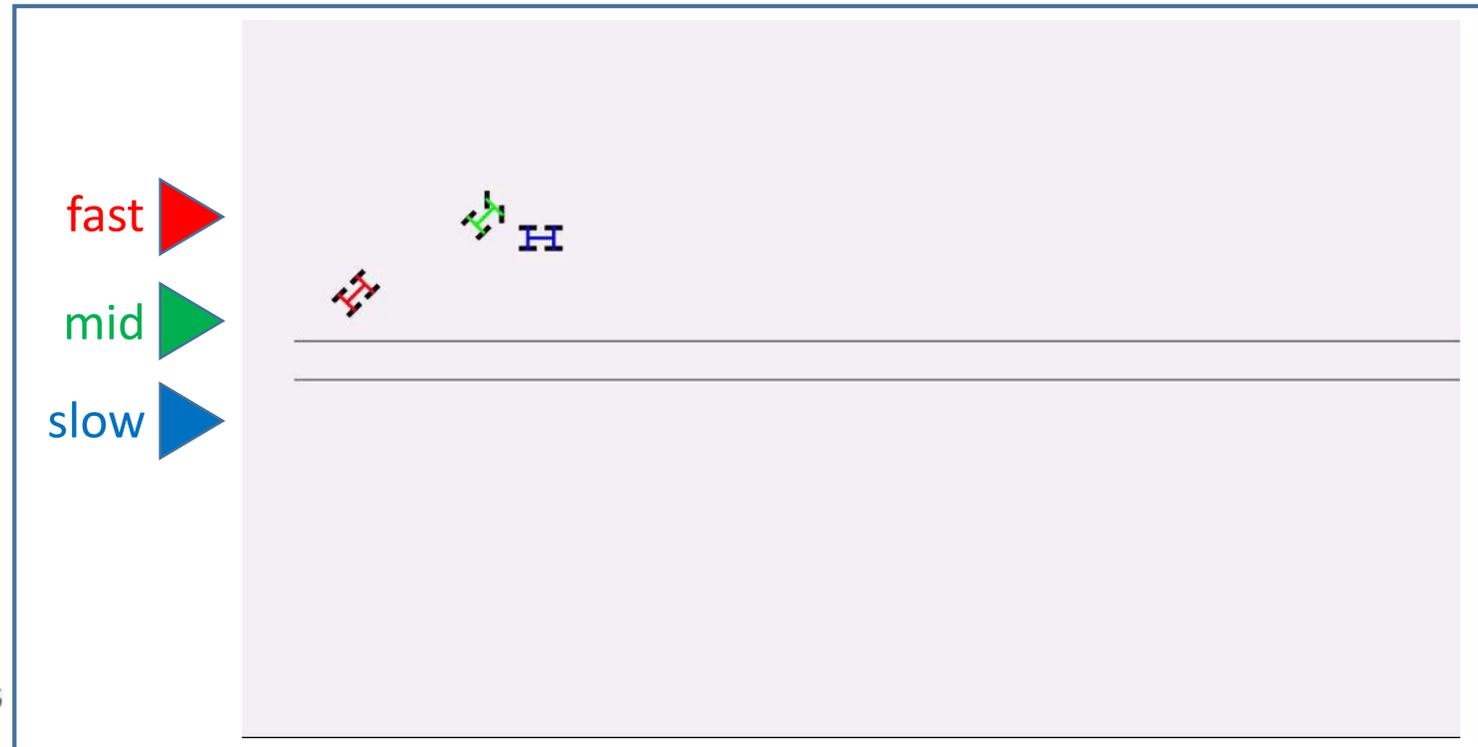
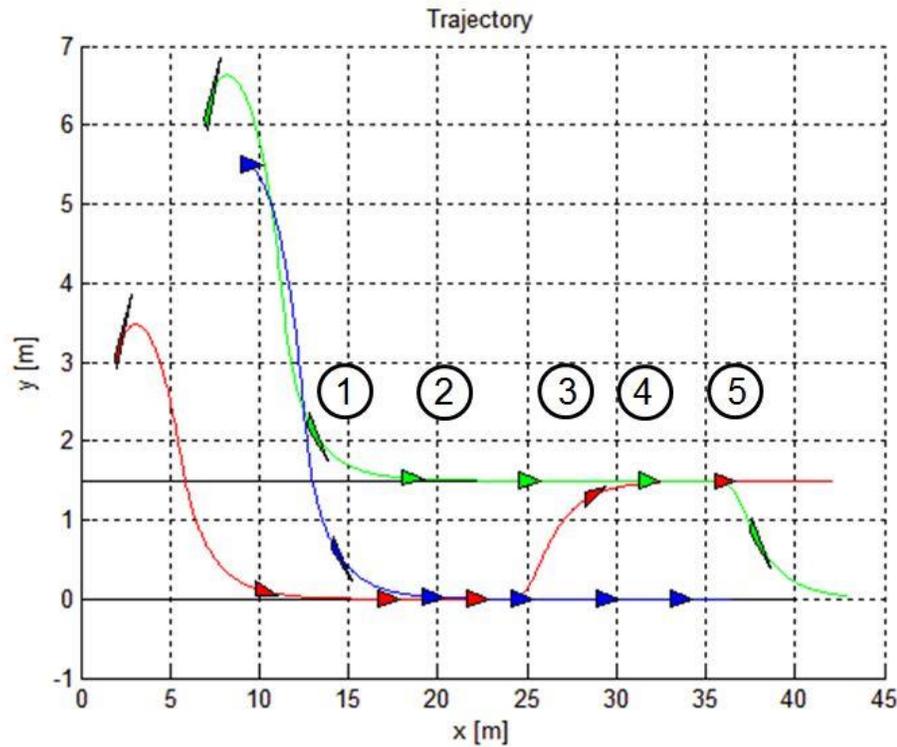
Safety zone  $[d \ w]^T = [2.5 \ 0.41]^T$

Path following control gains  $[k \ a_1 \ a_2]^T = [2 \ 2 \ 4]^T$

Coordination control gains  $[\lambda \ \gamma_1 \ \gamma_2]^T = [0.2 \ 0.5 \ 0.5]^T$

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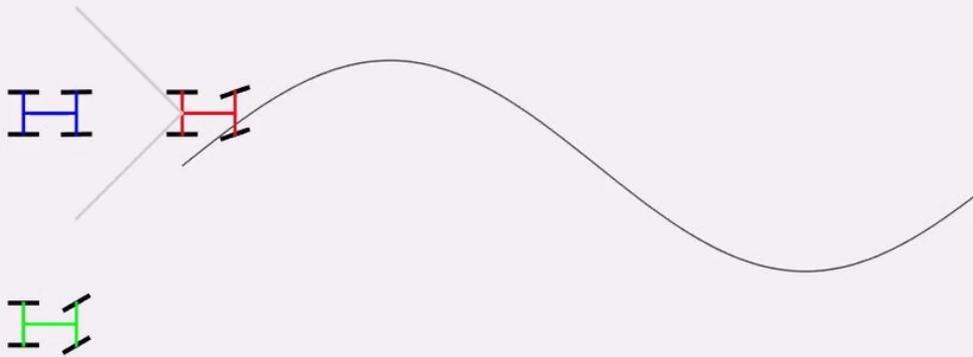
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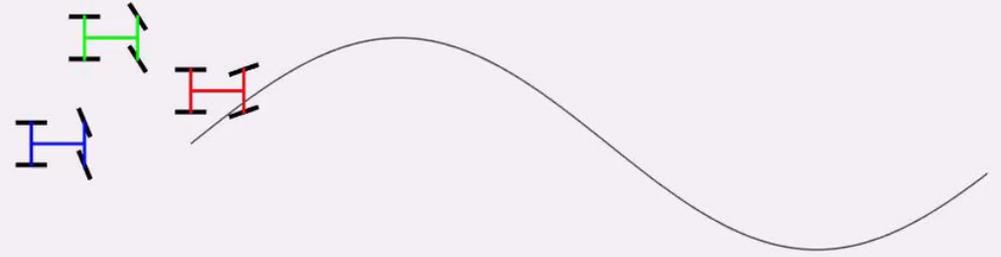
# Simulation results

Some other coordinated motion examples

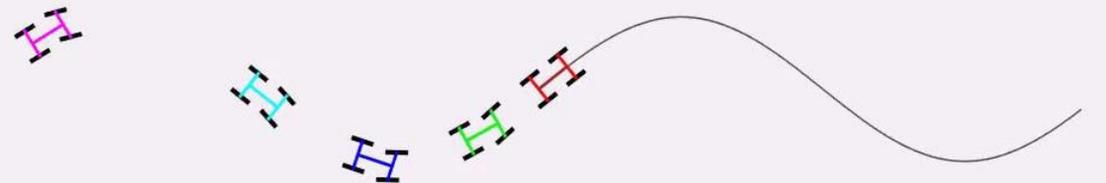
## Rigid formation



## Convoy



## String



# Other research activities (but related)

## Active magnetic bearings:

- Design (for low losses)
- Control (energy efficiency)
- Applications: FESS, precision motion
- Magnetic levitation

## Health Monitoring:

- Detection and isolation of faults
- Model based approach
- Hybrid systems (continuous + discrete)
- Fault tolerant control

## Driver assistance systems:

- Active stability (yaw control)
- Active differential
- Electronic differential
- Active anti roll bar

## Unmanned Aerial Vehicle:

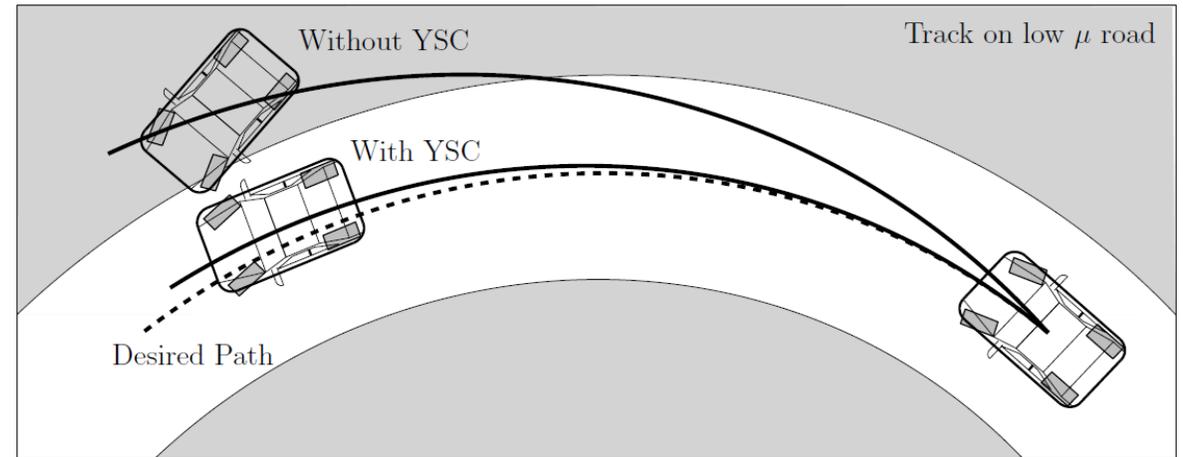
- Flight formation control
- Multi rotor UAVs
- Fault tolerant control
- Unusual designs (flying wing, ...)

# Yaw Stability Control based on Active differentials

**Goal** – to prevent vehicles from spinning and drifting-out, due to:

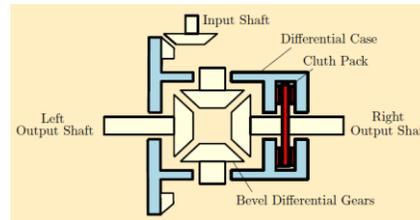
- High acceleration maneuvers.
- Unexpected yaw disturbances.

**Active differentials** - allow electronic control over Left-Right torque transfer:



We develop control algorithm for Two types of active differentials

**Active Limited Slip Differential**  
(for a single engine vehicle)



**Electronic differential** (for Electric Vehicles with Independent Motors)

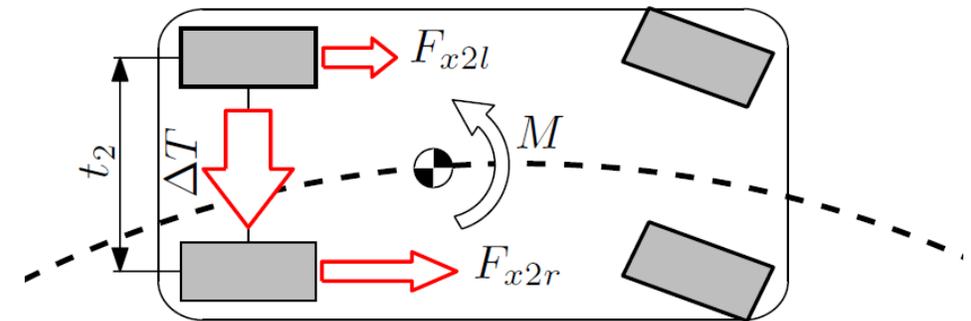
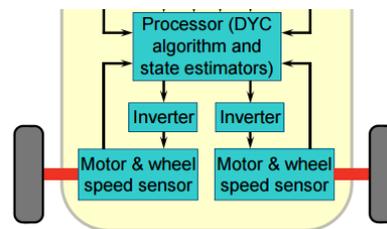
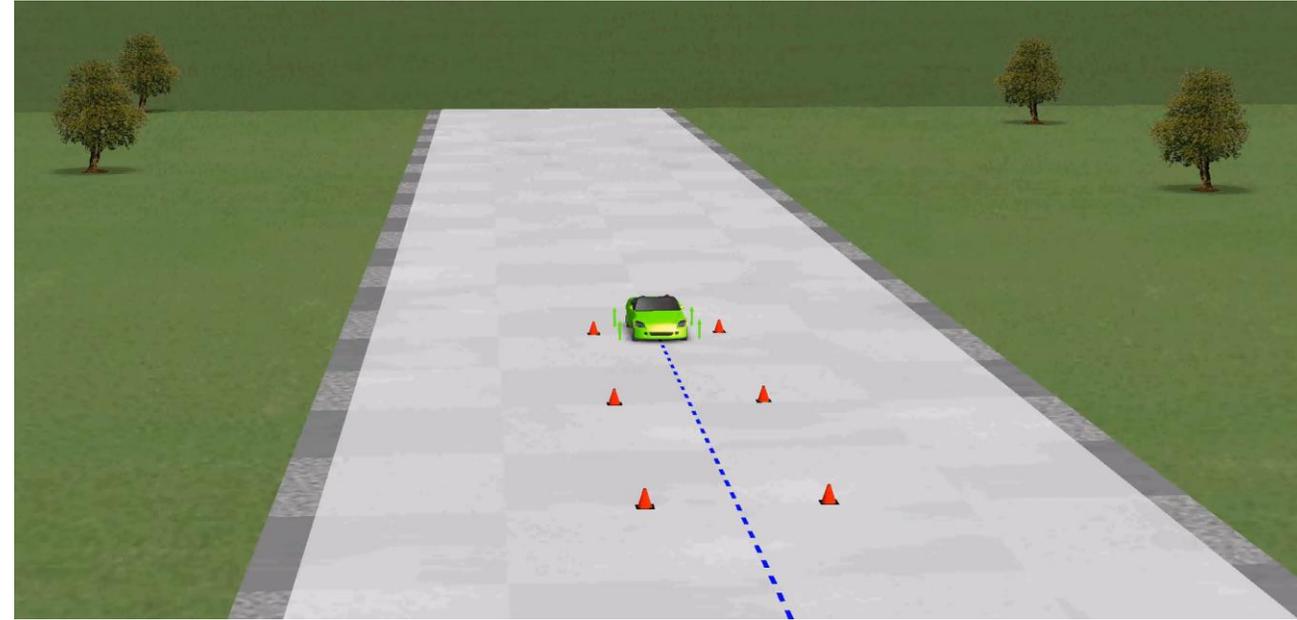


Figure: The function of a rear active differentials.

# Yaw Stability Control based on Active differentials



**Electronic differential** (for Electric Vehicles with Independent Motors)

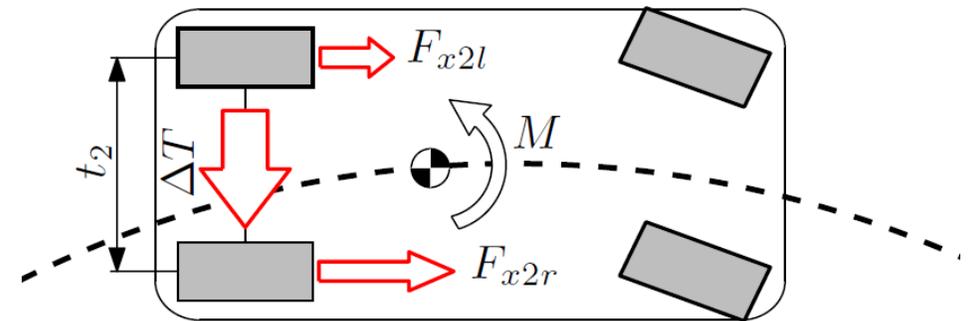
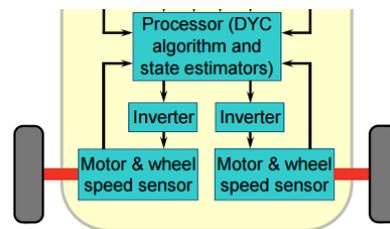


Figure: The function of a rear active differentials.

# Health monitoring – Fault detection and Isolation

We are developing model-based algorithms that detect and isolate system faults in real time. The algorithm detects inconsistencies between the measured behavior (by sensors) and the predicted normal behavior (by a model). It also identifies the fault type (i.e., fault isolation)

The method has been implemented on the CyCab (electric vehicle) to detect faults of its electro-hydraulic steering system. The considered faults were:

## Sensor-faults:

- 1) Pressure sensors
- 2) incremental encoder
- 3) absolute encoder (steering angle).

## Sudden faults:

- 1) A burnt DC-motor or driver
- 2) A broken-belt

## Parametric faults:

- 1) A flat tire.
- 2) Piston internal leakage (due to worn-seal, the piston efficiency is decreased)

